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Bayesian forecasting utilizing bleeding information to support dose individualization of factor VIII

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(3) Bayer, Wuppertal, Germany

28th PAGE meeting
Stockholm, Sweden, 12 June 2019

Haemophilia A

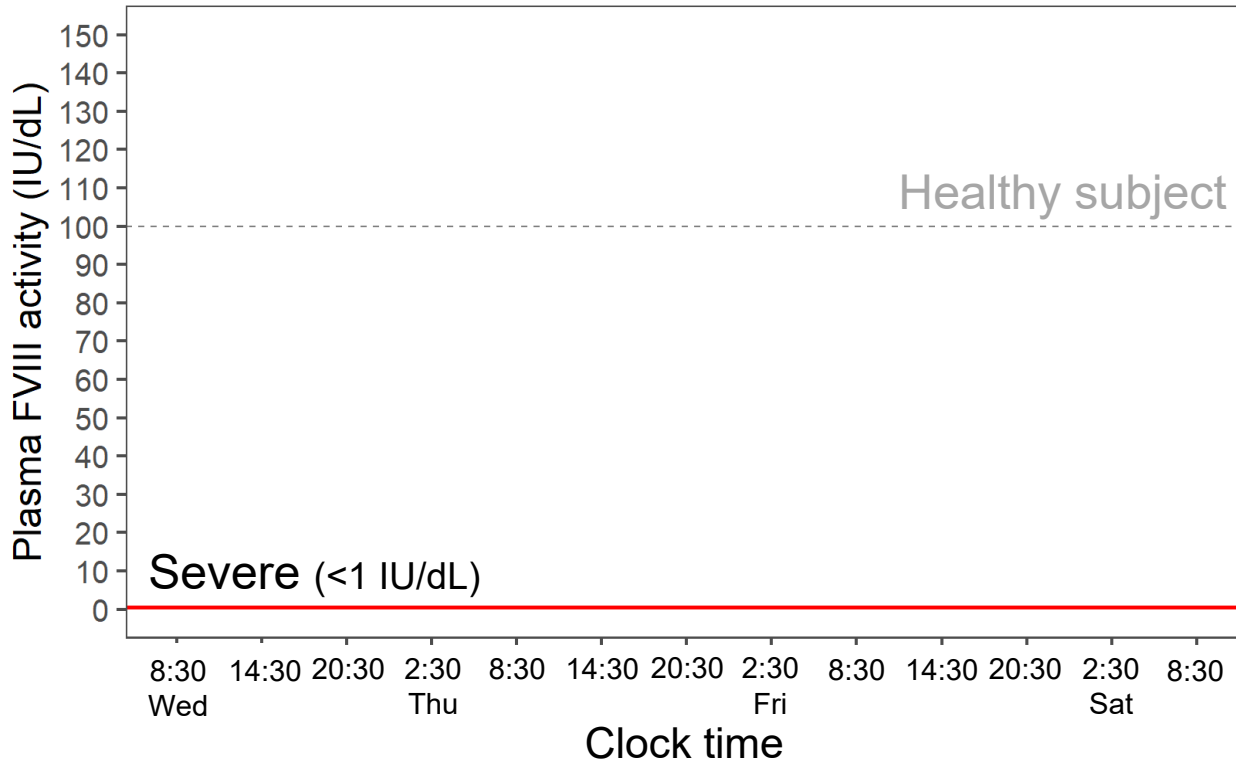
- Congenital X-linked bleeding disorder
- Deficiency of **coagulation factor VIII (FVIII)**
- Characteristic phenotype: spontaneous bleeding events





Severe haemophilia A

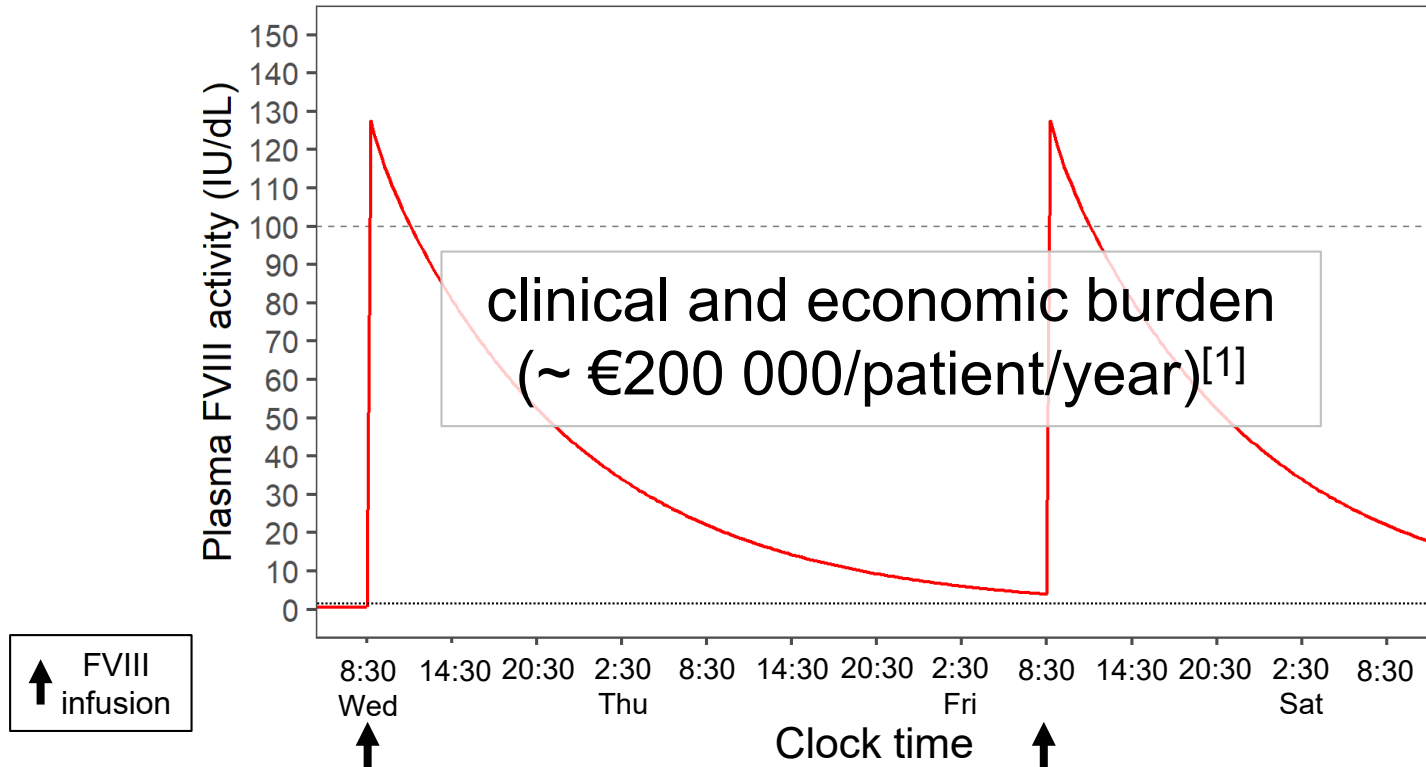
Endogenous plasma factor VIII activity <1 IU/dL





FVIII replacement therapy

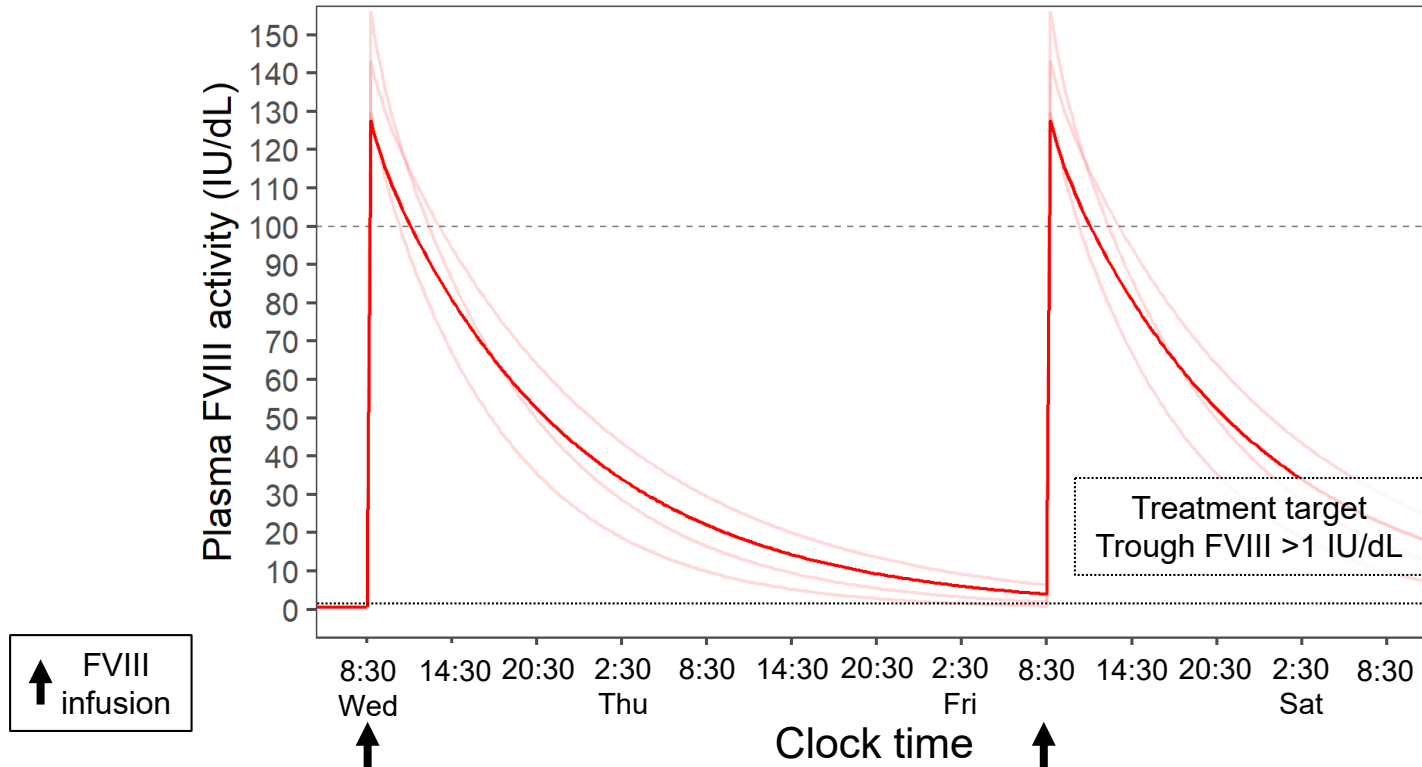
Prophylactic administration of 15-40 IU/kg 3x week





FVIII replacement therapy

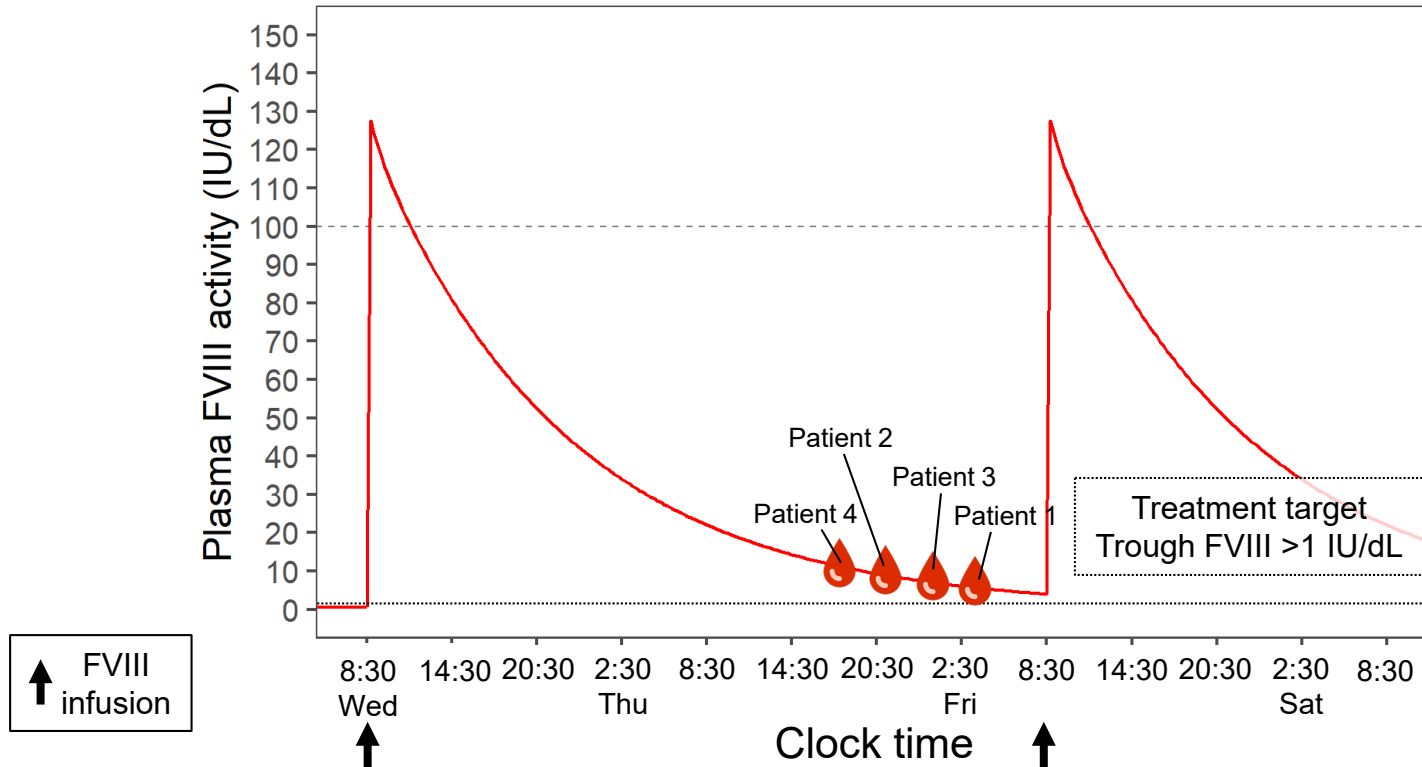
PK-guided model-based dose individualization increasingly encouraged^[1,2]





FVIII replacement therapy

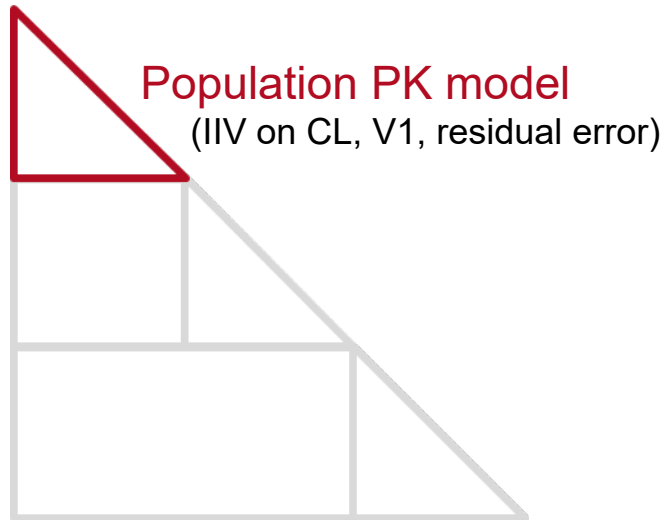
PK-guided model-based dose individualization increasingly encouraged^[1,2]





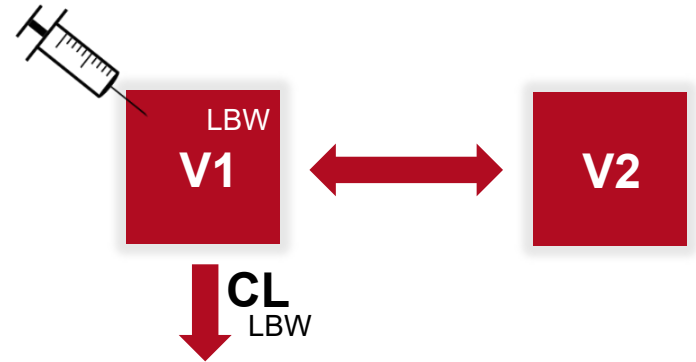
PK-bleed-covariate model

Dose-exposure-response relationship



Population PK model

2-compartment model



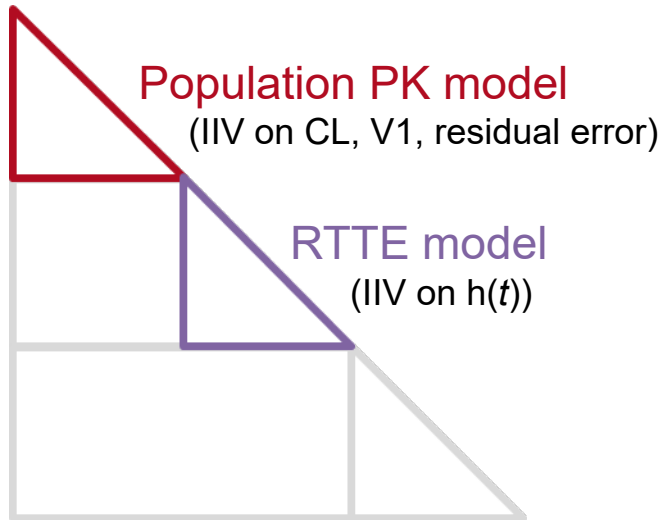
CL: clearance; IIV: inter-individual variability; LBW: lean body weight; V1 and V2: central and peripheral volumes of distribution

Abrantes *et al.* PAGE 27 (2018) Abstr 8646 [www.page-meeting.org/?abstract=8646]



PK-bleed-covariate model

Dose-exposure-response relationship



Bleed model

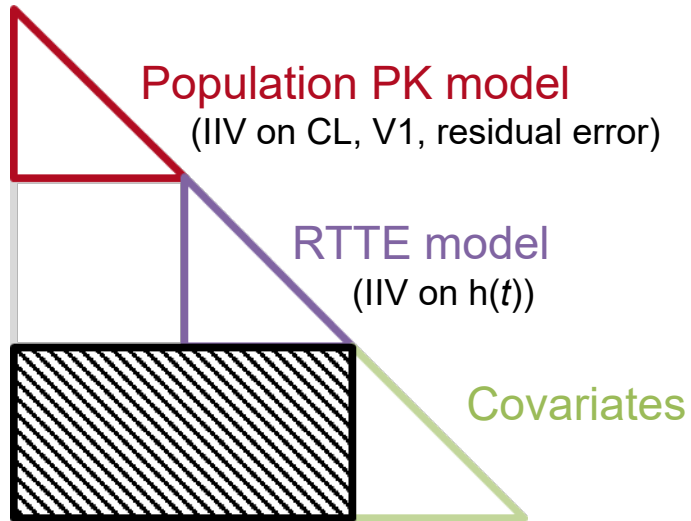
Repeated time-to-event model

$$h(t) = 3.0 \cdot e^{-0.57 \cdot (t - 1)} \cdot \left(1 - \frac{FVIII}{FVIII + IF50} \right) \cdot e^{\eta}$$



PK-bleed-covariate model

Dose-exposure-response relationship

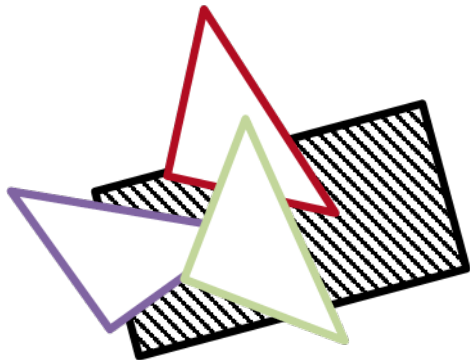


Covariates

Full random effects modeling

- Age
- Body weight, LBW, BMI
- Race
- von Willebrand factor levels
- Number of spontaneous bleeds within 12 months pre-study
- Pre-study treatment (prophylaxis/on-demand)
- Number of target joints at study start
- Study

Use the PK-bleed-covariate model to contrast different sources of patient information in their ability to predict future occurrence of bleeds



Wait...
but why?

Current model-based dose individualization methods are mainly PK-guided

Considering other sources of patients' information may ↑ accuracy in predictions and cost-effectiveness

LEOPOLD I and II clinical trials^[1-3]

- 121 patients with severe haemophilia A (≥ 12 years)
- Prophylactic treatment with octocog alfa
- 12 months
 - 798 sparse FVIII activity observations
 - 530 bleeding events ($\sim 1\%$ of all observed days)
 - 11 covariates

(subset of data used to develop the PK-bleed-covariate model)

LEOPOLD: Long-Term Efficacy Open-Label Program in Severe Hemophilia A Disease

[1] Saxena K *et al.* Haemophilia. 2016;22(5):706-12. [2] Kavakli K *et al.* J Thromb Haemost. 2015;13(3):360-9. [3] Ljung R *et al.* Haemophilia. 2016;22(3):354-60

Bleeding forecasting workflow

Bayesian forecasting + calculation of $P_i(\text{bleeding})$

June						
M	T	W	T	F	S	S
 1	2	3	4	5	6	7
8	9	10	11	12	13	14
15	16	17	18	19	20	21
22	23	24	25	26	27	28
29	30	1	2	3	4	5

EBEs patient i

- ☒ Day 1
- ☐ Day 1, 2
- ☐ Day 1 ... $n-1$

$P_i(\text{bleeding})$ patient i

- ☐ Day 2
- ☐ Day 3
- ☐ Day n

n : last day of patient i in the study

$P_i(\text{bleeding})$: individual forecasted probability of having a bleed in the upcoming 24 h

EBEs: empirical Bayes estimates (*individual parameters*, eg. individual clearance or individual bleeding hazard)

$P_i(\text{bleeding}) = 1 - e^{-\int_t^{t+24} h_i(t) dt}$, where t is the end of the Bayesian forecasting observation period



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8	9	10	11	12	13	14
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EBEs patient i



Day 1



Day 1, 2



Day 1 ... $n-1$

$P_i(\text{bleeding})$ patient i



Day 2



Day 3



Day n

n : last day of patient i in the study

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Bleeding forecasting workflow

Bayesian forecasting + calculation of $P_i(\text{bleeding})$

June						
M	T	W	T	F	S	S
1 ✓	2 ✓	3 ✓	4 ✓	5 ✓	6 ✓	7 ✓
8 ✓	9 ✓	10 ✓	11 ✓	12 ✓	13 ✓	14 ✓
15 ✓	16 ✓	17 ✓	18 ✓	19 ✓	20 ✓	21 ✓
22 ✓	23 ✓	24 ✓	25 ✓	26 ✓	27 ✓	28 ✓
29 ✓	30 ✓	✓	✓	✓	✓	n

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Information scenarios

“PK”, “Bleed”, and “All”

PK

PK observations

June						
M	T	W	T	F	S	S
1  	2	3 	4	5 	6	7
8	9	10	11 	12	13 	14
15 	16	17 	18	19 	20	21
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Bleed

Bleeding observations

June						
M	T	W	T	F	S	S
1 	2 	3 	4 	5 	6 	7 
8 	9 	10 	11 	12 	13 	14 
15 	16 	17 	18 	19 	20 	21 
22 	23 	24 	25 	26 	27 	28 
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All

PK, bleeding observations
and covariates

June						
M	T	W	T	F	S	S
1  	2 	3 	4 	5 	6 	7 
8 	9 	10 	11 	12 	13 	14 
15 	16 	17 	18 	19 	20 	21 
22 	23 	24 	25 	26 	27 	28 
29 	30 	1 	2 	3 	4	n 

+ covariates



Infusion



PK sampling



No bleed



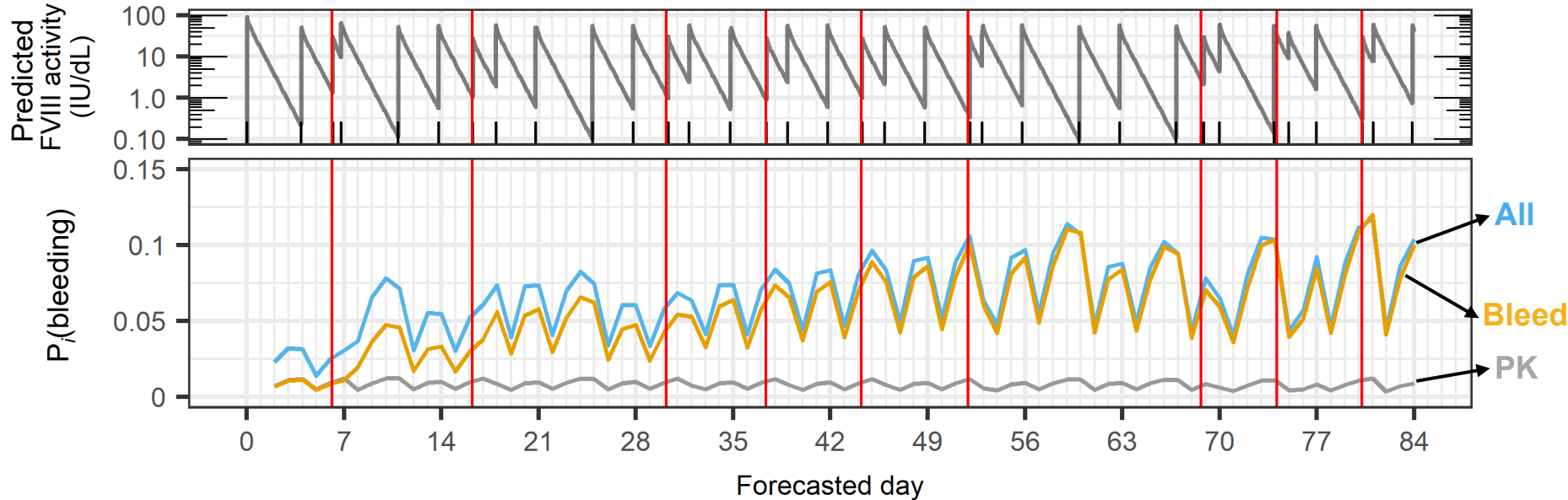
Bleed



Time-varying bleeding probabilistic forecast

Illustrative patient

| FVIII infusion | Time of bleed





Predictive performance assessment

Three techniques were used

- $P_i(\text{bleeding})$ was compared with the actual occurrence or non-occurrence of a bleed on the forecasted day
 - Separation plots^[1]
 - Receiver operating characteristic (ROC) analyses^[2]
 - Precision-recall analyses^[3]

$P_i(\text{bleeding})$: individual forecasted probability of having a bleed in the upcoming 24 h

[1] Greenhill B *et al.* American Journal of Political Science. 2011; 55 991-1002. [2] Fawcett T. Pattern recognition letters. 2006; 861-874.

[3] Saito T, Rehmsmeier M. PLoS One. 2015;10(3):e0118432



Separation plots

Merged $P_i(\text{bleeding})$ data for all days for all patients

Patient	Forecasted day	$P_i(\text{bleeding})$	Bleed
1	2	0.020	0
1	3	0.075	0
1	4	0.051	0
1	n	0.037	0
2	2	0.056	0
2	3	0.012	0
2	4	0.094	1
2	n	0.031	0
3	2	0.252	1
3	3	0.181	0
3	4	0.138	0
3	n	0.121	0



Separation plots

Rows ordered according to the ascending order of $P_i(\text{bleeding})$

Patient	Forecasted day	$P_i(\text{bleeding})$	Bleed
2	3	0.012	0
1	2	0.020	0
2	n	0.031	0
1	n	0.037	0
1	4	0.051	0
2	2	0.056	0
1	3	0.075	0
2	4	0.094	1
3	n	0.121	0
3	4	0.138	0
3	3	0.181	0
3	2	0.252	1



Separation plots

Highlighted rows corresponding to days when bleeds actually occurred

Patient	Forecasted day	$P_i(\text{bleeding})$	Bleed
2	3	0.012	0
1	2	0.020	0
2	n	0.031	0
1	n	0.037	0
1	4	0.051	0
2	2	0.056	0
1	3	0.075	0
2	4	0.094	1
3	n	0.121	0
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3	3	0.181	0
3	2	0.252	1





Separation plots

Low $P_i(\text{bleeding})$

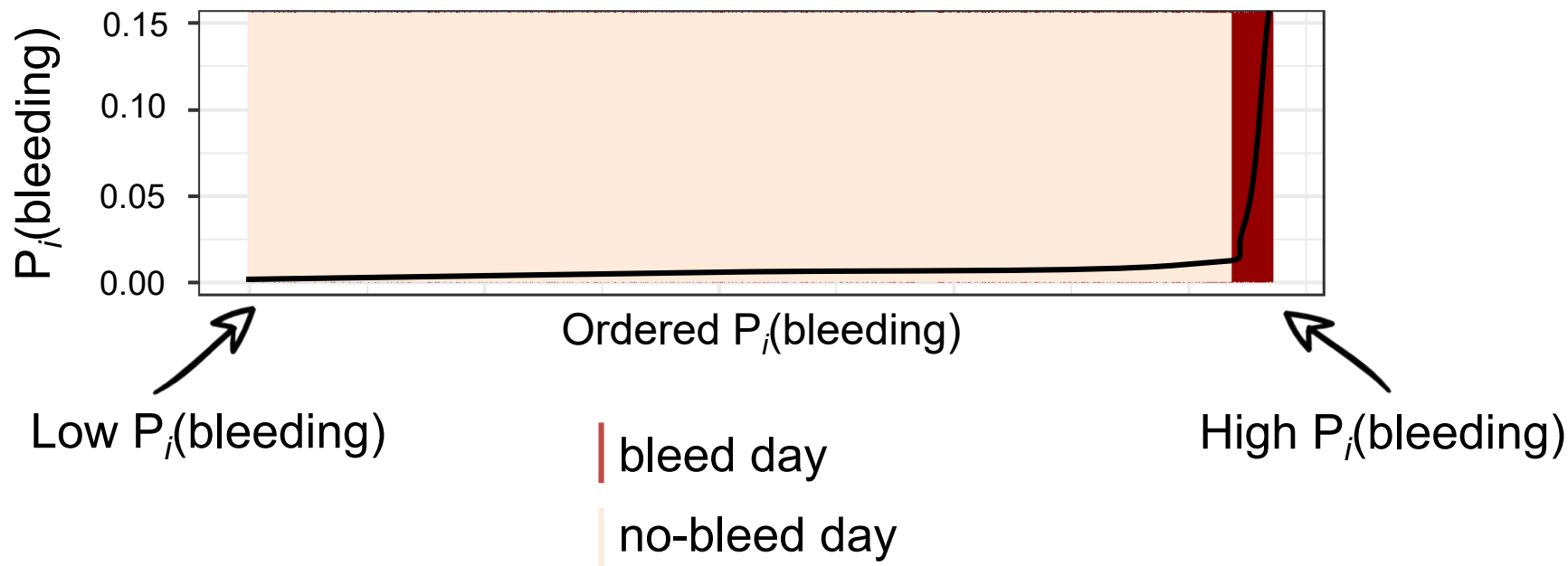


Patient	Forecasted day	$P_i(\text{bleeding})$	Bleed
2	3	0.012	0
1	2	0.020	0
2	n	0.031	0
1	n	0.037	0
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3	n	0.121	0
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3	3	0.181	0
3	2	0.252	1

High $P_i(\text{bleeding})$



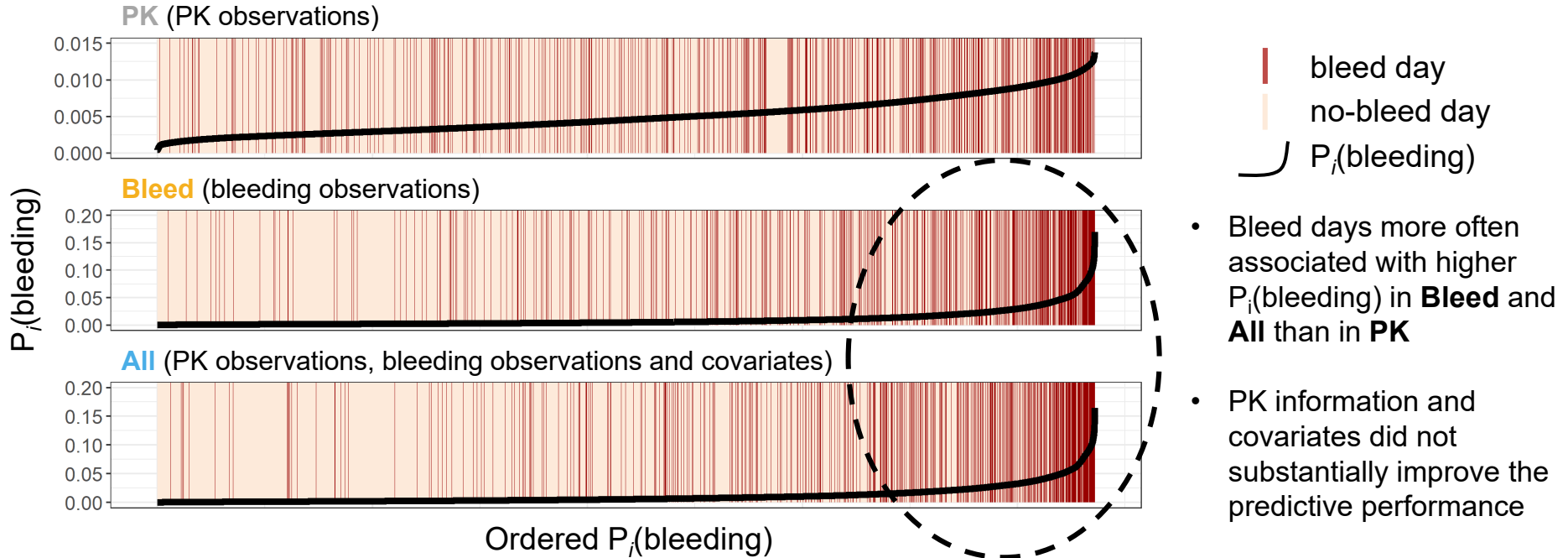
Separation plots





Separation plots

***Bleed** and **All** associated with higher relative $P_i(\text{bleeding})$*



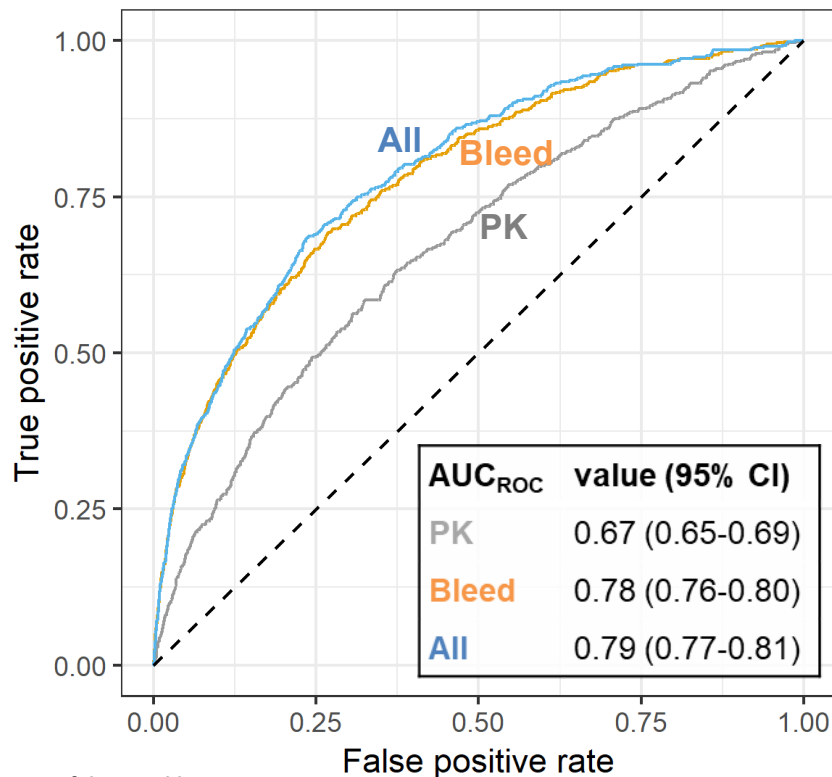
$P_i(\text{bleeding})$: individual forecasted probability of having a bleed in the upcoming 24 h

Separation plots showing all predicted days for all patients. Since the occurrence of bleeds was rare (~1.2% of forecasted days), vertical bars corresponding to bleed days were emphasized.



Receiver operating characteristic (ROC) analysis

Bleeds were a main component driving the forecast of future bleeds

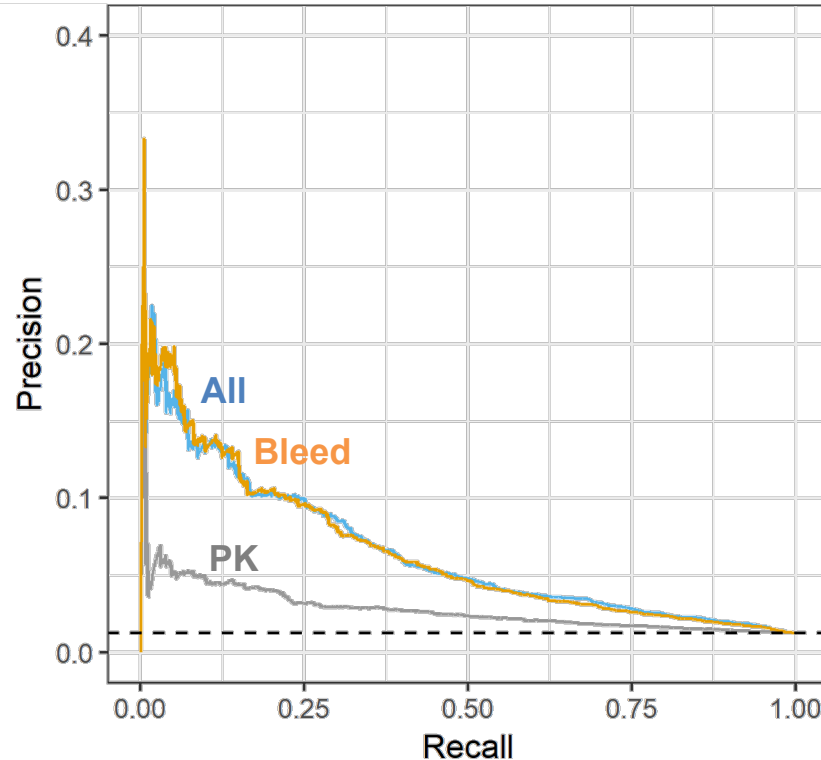


True positive rate = $\frac{\text{true positives}}{\text{positives}}$, false positive rate = $\frac{\text{false positives}}{\text{negatives}}$



Precision-recall analysis

Bleeds were a main component driving the forecast of future bleeds



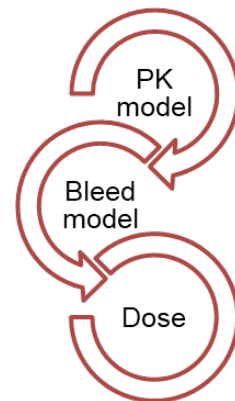
Precision = $\frac{\text{true positives}}{\text{true positives} + \text{false positives}}$ (low precision observed for all information scenarios as expected); recall = true positive rate = $\frac{\text{true positives}}{\text{positives}}$

Some limitations

- Evaluation based on a subset of data used to develop the model
- Study design, for instance:
 - PK sampling times
 - Patients well protected against bleeds

What have we learnt?

- An **integrated PK-bleed-covariate model approach** can be used to forecast the occurrence of bleeds under prophylactic treatment
- Three techniques confirmed that **past bleeding information** is a main component driving the forecast of future bleeds
- Further steps to optimize **the proposed tool for FVIII dose adaptation** are required





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**Uppsala Pharmacometrics
Research Group**



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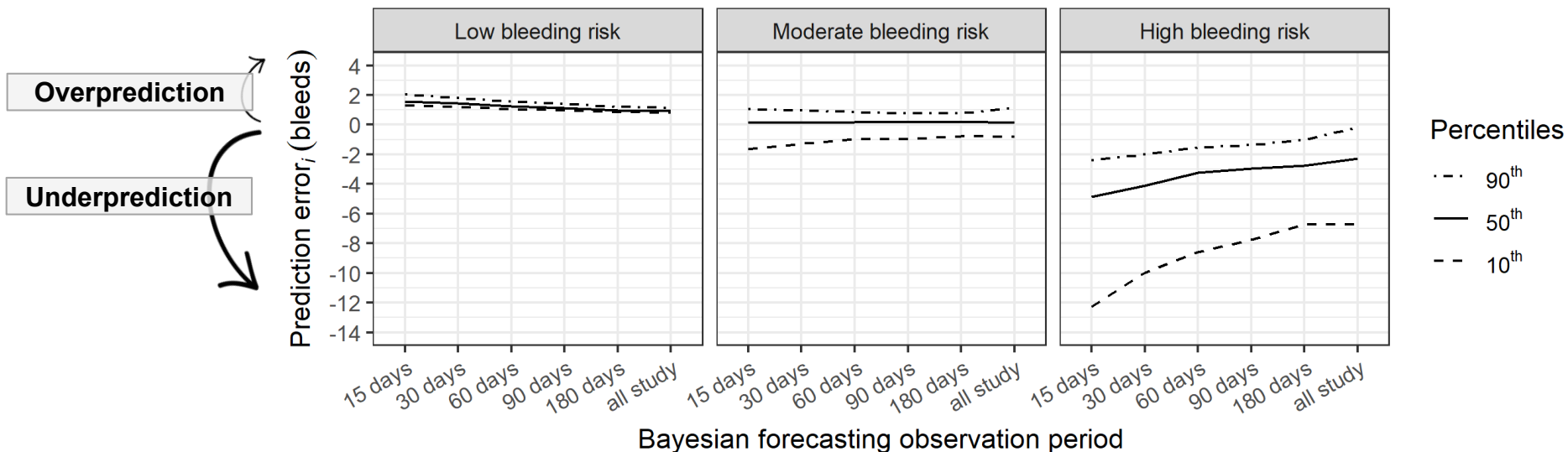
(3) Bayer, Wuppertal, Germany

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Varying the observation period length

The longer the observation period for EBEs estimation the better

Information scenario: **Bleed**



Prediction error_{*i*} = Bleed_{forecast} - Bleed_{observed} where Bleed_{forecast} and Bleed_{observed} are the number of forecasted and observed bleeds during the whole individual study period. Bleeding risk was categorized as: **low risk**, if patients did not bleed during the study (N=33); **moderate risk**, 1-4 bleeds (N=49); and **high risk**, ≥5 bleeds (N=39)