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## MODELLING PHARMACOGENETIC DATA IN Population studies during drug Development

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#### INTRODUCTION

## CONTEXT Objectives



## INTRODUCTION: CONTEXT PHARMACOGENETICS

**Pharmacogenetics**: study of the variation in genetics in relation to the interindividual variability in drug response<sup>1</sup>



Identifying the genetic variants related to response variability can significantly **increase drug efficacy**<sup>2</sup> and **reduce toxicity**<sup>3</sup>

1. Motulsky 1969 3. Mallal et al. 2008 (abacavir)

2. Rosell et al. 2009 (gefetinib)

### INTRODUCTION: CONTEXT PHARMACOGENETICS

**Pharmacogenetics**: study of the variation in genetics in relation to the interindividual variability in drug response<sup>1</sup>

**genetic variation:** Single Nucleotide Polymorphisms (**SNPs**) variation of only one base in genomic sequence increasingly screened in clinical studies (DNA microarray)



**interindividual variability in pharmacokinetics (PK**): variation in the enzymatic activity (metabolism, transport)

## INTRODUCTION: CONTEXT MULTIPLE METHODOLOGIES FOR PHARMACOGENETIC STUDIES



during the period 2010 - 2012 (Tessier et al. 2015)

Most analyses use NCA-based phenotype estimated from a limited number of subjects

## INTRODUCTION: CONTEXT MOTIVATING EXAMPLE PHASE I CLINICAL STUDY

A drug S developed by Servier in phase I clinical development

#### PK:

#### N = 78 healthy volunteers

rich sampling design **(n = 16 samples per subject)** nonlinear PK with doses

#### **Pharmacogenetics:**

all subjects genotyped for **176 SNPs** of genes known to be involved in the PK of drugs (metabolic enzymes, transporters, nuclear receptors)

#### > challenging settings to compare NCA and model-based analysis

# INTRODUCTION: OBJECTIVES THREE OBJECTIVES

PART 1: Assessment of pharmacogenetic analysis methods To compare the ability of different PK phenotypes to detect genetic effects To assess the performance of different association tests

PART 2: Enhance detection of genetic variants through combined designs To assess **combined analysis** of phase I and II data

**PART 3:** Use of the conditional distribution to enhance genetic covariates analysis To assess a PK **phenotype enrichment approach** 

#### **GENERAL METHODS**

## SIMULATION STUDY Association tests



## GENERAL METHODS SIMULATION STUDY GENOTYPES

176 SNPs simulated based on the DNA microarray developed by Servier, retaining correlations between variants found in the human genome using a reference panel of Hapmap genotypes data set<sup>1</sup> and a specialised software (Hapgen2)<sup>2</sup>

## GENERAL METHODS SIMULATION STUDY POPULATION PHARMACOKINETIC MODEL

Nonlinearity on drug absorption (F and FRAC parameters)



#### GENERAL METHODS SIMULATION STUDY GENETIC EFFECT

Under H<sub>1</sub>, 6 SNPs drawn randomly affect the clearance:

$$log(CL_i) = log(\mu_{CL}) + \sum_{k=1}^{6} \beta_k \times SNP_{ik} + \eta_{i_{CL}}$$

 $SNP_{ik} = \{0, 1, 2\}$ : additive genetic model

 $\beta_k$ : effect size associated to the genotype  $SNP_{ik}$ , depends on:

 $p_k$ : the frequency of the minor allele

 $R_{GC_k}$ : % of the interindividual variability in CL explained by the SNP<sup>1</sup>

| SNP              | 1   | 2   | 3   | 4   | 5   | 6    |
|------------------|-----|-----|-----|-----|-----|------|
| R <sub>GCk</sub> | 1 % | 2 % | 3 % | 5 % | 7 % | 12 % |

## GENERAL METHODS SIMULATION STUDY PHENOTYPES: NCA VS NLMEM

Individual PK profiles were simulated from PK model with genetic effects

- AUC estimated through **NCA** 
  - > normalised by the doses
- Individual clearances (*EBE<sub>CL</sub>*) estimated by **NonLinear Mixed effects Models** (**NLMEM**) under H<sub>0</sub>
  - > Stochastic Approximation Expectation Maximisation algorithm (SAEM)<sup>1</sup>
  - Monolix software (v 4.2.2)<sup>2</sup>

All phenotypes were log-transformed

## GENERAL METHODS ASSOCIATION TESTS GENETIC DATA CONSIDERATIONS

#### Posterior PG analysis in a PK study

No assumption of genetic mechanisms influencing drug PK The 176 simulated SNPs are tested

#### **Correlations between variants**

#### **Family Wise Error Rate (FWER) correction**

FWER controlled around 20% FWER correction:  $1 - (1 - FWER)^{1/N_{SNP}}$ 

## GENERAL METHODS ASSOCIATION TESTS USUAL STRATEGY

#### **1. Stepwise procedure**

Iterative method

Effect sizes estimated through **univariate regressions** 

 $\hat{\beta}_k = argmin(Y - X\beta)^2$ 

Variants selected using a Wald test FWER correction for significance threshold

Taking into account correlations between variants<sup>1</sup>



## GENERAL METHODS ASSOCIATION TESTS PENALISED REGRESSIONS

**Multivariate analysis** 

$$\hat{\beta}_k = argmin(Y - X\beta)^2 + penalty$$

#### 2. Ridge regression<sup>1</sup>

Gaussian prior Wald test for variable selection FWER correction for significance threshold



## GENERAL METHODS ASSOCIATION TESTS PENALISED REGRESSIONS

**Multivariate analysis** 

$$\hat{\beta}_k = argmin(Y - X\beta)^2 + penalty$$

#### 3. Lasso<sup>1</sup>

Double Exponential (DE) prior Set some coefficients to 0 (no test) FWER correction to compute penalty



## GENERAL METHODS ASSOCIATION TESTS PENALISED REGRESSIONS

#### **Multivariate analysis**

$$\hat{\beta}_k = argmin(Y - X\beta)^2 + penalty$$

#### **4. HyperLasso<sup>1</sup>**

Normal exponential gamma (NEG) prior shape and scale parameters sparser solutions Set some coefficients to 0 (no test) FWER correction to compute penalty



#### PART 1

## ASSESSMENT OF Pharmacogenetic Analysis methods

Tessier A, Bertrand J, Chenel M, Comets E. AAPS J. 2015



#### PART 1: METHODS SCENARIOS

| Phase I design   | S <sub>real</sub>                             | <b>S<sub>large</sub></b><br>Asymptotic conditions for N                  |  |  |
|--|---|--|--|--|
| Administration   | Single dose                                   | Administration   | Single dose                                    |  |
| Number of subjects (N <sub>1</sub> )<br>Elementary design ( $\xi_{ij}$ ) | 78 subjects<br>16 sampling times <sup>a</sup> | Number of subjects (N <sub>1</sub> )<br>Elementary design ( $\xi_{ij}$ ) | 384 subjects<br>16 sampling times <sup>a</sup> |  |
| <sup>a</sup> from 0.5 to 192h  |   |  |  |  |

200 data sets were simulated for each scenario

## PART 1: RESULTS COMPARISON OF PHENOTYPE ESTIMATION METHODS NCA vs NLMEM



Phenotype NCA NLMEM

True positives (TP): SNP selected in the model and indeed associated to CL in the simulation False positives (FP): SNP selected in the model but not present in the simulation

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Probability to detect genetic effects: % of data sets simulated where at least x SNPs (x=1, ..., 6) of the 6 SNPs are selected (200 simulated data set)



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With a nonlinear PK, higher probability to detect genetic effects with a phenotype estimated through NLMEM

Similar power for the 4 association tests (penalised regressions or the stepwise procedure)



## ENHANCE DETECTION OF GENETIC VARIANTS THROUGH COMBINED DESIGNS



PHOTOGRAPH BY ADAM VOORHES

#### PART2: METHODS SCENARIOS

#### Three phase II designs:

 $N_2 = 306$  subjects at steady-state

|                                  | PII <sub>3s.96h</sub> a | PII <sub>3s.24h</sub> a | PII <sub>1s.24h</sub> |
|----------------------------------|-------------------------|-------------------------|-----------------------|
| Elementary design ( $\xi_{ij}$ ) | 2, 22, 96h              | 2, 22, 24h              | 24h                   |

<sup>a</sup>designs optimised using PFIM<sup>1,2</sup>

#### Four analysis scenarios:

**SPI**: Phase I data only  $(N_1 = 78)$  **SPI/PII<sub>3s.96h</sub>**: Phase I + Phase II data {2, 22, 96h} **SPI/PII<sub>3s.24h</sub>**: Phase I + Phase II data {2, 22, 24h} **SPI/PII<sub>1s.24h</sub>**: Phase I + Phase II data {24h}

#### 200 data sets were simulated for each scenario

1. Bazzoli et al. 2010 2. www.pfim.biostat.fr











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## PART2: CONCLUSIONS

Even with advanced methods (NLMEM, stepwise procedure or penalised regressions) results showed poor performance using phase I data only due to the small sample size

Significant improvement of the probability to detect realistic polymorphisms combining data from phase I and phase II in NLMEM Mixing subsets with rich and sparse designs could also be performed within a phase II study

The design of phase II studies benefits from optimisation to a lower extent

#### PART 3

## USE OF THE CONDITIONAL DISTRIBUTION TO ENHANCE GENETIC COVARIATES ANALYSIS



#### PART3: METHODS BAYESIAN APPROACH FOR INDIVIDUAL ESTIMATIONS



Distribution — Prior dist. — True value dist. — Shrunk dist.

## PART3: METHODS BAYESIAN APPROACH FOR INDIVIDUAL ESTIMATIONS



**Distribution** — Prior dist. — True value dist. — Shrunk dist.

#### Samples from conditional distribution computed using Monolix software<sup>1</sup> Proposed in diagnostic plots in last versions

1. www.lixoft.eu

## PART3: METHODS SAMPLES IN THE CONDITIONAL DISTRIBUTION SCENARIOS

Individual PK profiles were simulated from PK model with genetic effects **1 SNP** drawn randomly to affect the clearance:

- $R_{GC} = \{5, 12, 20\%\}$
- N = 78 subjects
- 2 scenarios: Rich design (n = 16) or Sparse design (n = 1 with 3 groups)

Univariate regression (Im) on individual parameters  $\hat{\eta}_{CL_i}$ Linear mixed effects model (Ime) on samples from conditional distribution

- random effect to handle correlations between the different samples for the same subject
- > with different numbers of samples (from 3 to 600)

### PART3: RESULTS PROBABILITY TO DETECT THE GENETIC EFFECT



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**Design** — Rich — Sparse

#### PART3: CONCLUSIONS

No benefit of using samples from the conditional distribution with rich designs MAP from posterior distribution close to the true parameter

Marginal improvement in the probability to detect the genetic variant for sparse designs requires a large number of samples

## CONCLUSION



## CONCLUSION RECOMMENDATIONS FOR PHARMACOGENETIC ANALYSIS

#### Phenotypes

Modelling approaches should be preferred to estimate the PK phenotype

#### **Association methods**

No benefit of penalised regressions

#### Design

We recommend

to combine analysis of phase I and phase II data for the exploration of genetic associations

to prospectively optimise the phase II study design

## CONCLUSION LIMITS AND PERSPECTIVES

#### Limits

Only one setting investigated in simulations additive genetic model nonlinear PK

No re estimation of EBE conditional to the genetic variants in stepwise procedure

#### **Perspectives**

Develop joint estimation/selection with penalised regression in NLMEM<sup>1</sup>

Investigate effect of model misspecifications on detection probability correlation between model parameters

1. Bertrand et al. PAGE 2013

#### AS ALWAYS THANKS FOR YOUR ATTENTION

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