

# AN ENERGY BASED MODEL ABLE TO DESCRIBE THE EFFECT **OF ANTICANCER DRUGS ON TUMOR GROWTH AND HOST BODY WEIGHT**

bioinformatics mathematical modeling and synthetic biology

BMS

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**MOTIVATION** Cachexia is a complication responsible for around 20% of cancer deaths. For this reason, in preclinical pharmacological models, the decrease in the net body weight time course is considered a fundamental toxicological parameter to be evaluated. The energy loss caused by the tumor growth within the body is considered one of the causes of this side effect. Models based on dynamic energy budget (DEB) theory for describing the dynamics of the tumor host interaction are currently available [1]; however the effect of anticancer treatments should also be considered. For this purpose, we have developed a new PK/PD tumor-in-host DEB-based model that includes the Simeoni TGI model [2], able to describe the drug action on the tumor mass.

### **METHODS**

#### Dataset

Pharmacological experiments in Harlan Sprague Dawley mice were performed in Nerviano Medical Sciences labs. In these experiments the tumor and the net weights of control and treated animals were recorded at different doses. The PK profiles were derived from separated studies. The current example involves male mice treated with vehicle (arm a) and two groups treated with drug A following different schedules (arm b and c).

#### The model

 $\mu_u$ 

4.14

(> 100%)

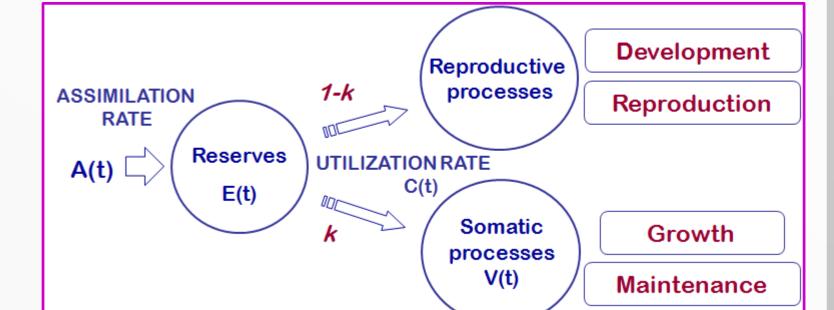
 $k_1$ 

[1/day]

2.93

(66%)

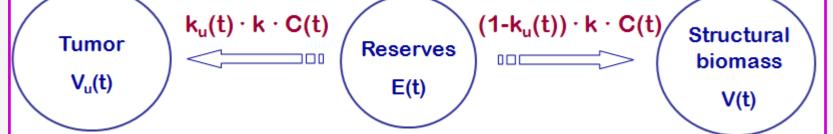
The growth of an health organism and the growth of the tumor mass (in absence of a drug treatment – control group) can be described by using the model developed by Leeuwen et al. [1].



DEB theory: the physiological model

The model has been modified and extended for including the drug treatment following the strategy proposed by a largely used preclinical TGI model [2]. In particular, in the original tumor growth function the term representing the drug action on the proliferating cells, and the mortality chain have been included.

lumor	-bearing in	dividual:	energy	allocat	ion k	-rule	
		$\sim$	<u>_</u>		_	$\sim$	_



Parameters of the tumor-free individual model

Parameter	Dimension	Interpretation
$\nu$	$LT^{-1}$	Energy conductance
ho	-	Food-supply coefficient
$V_{1\infty}$	$L^3$	Maximum structural volume
g	-	Growth energy-investment ratio
m	$T^{-1}$	Maintenance-rate coefficient
$\xi$	-	Scaled reserve specific weight
	Tumor	growth parameters

Parameter	Dimension	Interpretation
$\mu_u$	-	Coefficient of gluttony
$g_u$	-	Tumor growth energy-investment ratio
$m_u$	$T^{-1}$	Tumor maintenance-rate coefficient
$\omega$	-	Thermodynamic efficiency coefficient

• Case 
$$\frac{dV}{dt} > 0$$
  
 $\frac{de(t)}{dt} = \frac{\nu}{V^{1/3}(t)} \left( \rho \left( \frac{V_{1\infty}}{V_{u1}(t) + V(t)} \right)^{2/3} - e(t) \right)$   
 $\frac{dV(t)}{dt} = \frac{(1 - k_u(t))\nu e(t)V^{2/3}(t) - gmV(t)}{g + (1 - k_u(t))e(t)}$   
 $\frac{dV_{u1}(t)}{dt} = \frac{(\nu V^{2/3}(t) + mV(t))gk_u(t)e(t)}{gg_u + (1 - k_u(t))g_ue(t)} - m_u V_{u1}(t) - k_2 c(t)V_{u1}(t)$   
 $\frac{dV_{u2}(t)}{dt} = k_2 c(t)V_{u1}(t) - k_1 V_{u2}(t)$   
 $\frac{dV_{u3}(t)}{dt} = k_1 V_{u2}(t) - k_1 V_{u3}(t)$   
 $\frac{dV_{u4}(t)}{dt} = k_1 V_{u3}(t) - k_1 V_{u4}(t)$   
 $\rho(t) = 1 - K_{org} c(t)$   
 $W(t) = d_V(1 + \xi e(t))V(t)$   
 $W_u(t) = d_{Vu}(V_{u1}(t) + V_{u2}(t) + V_{u3}(t) + V_{u4}(t))$ 

• e : reserve amount • *V* : organism structural volume •  $V_{u1}$  : tumor volume of proliferating cells •  $V_{u2}$ ,  $V_{u3}$ ,  $V_{u4}$  : tumor volume of non-proliferating cells in the mortality chain The differential equations that change in the two cases different from dV/dt>0 are respectively: • Case  $-a < \frac{at}{dt} < 0$ 

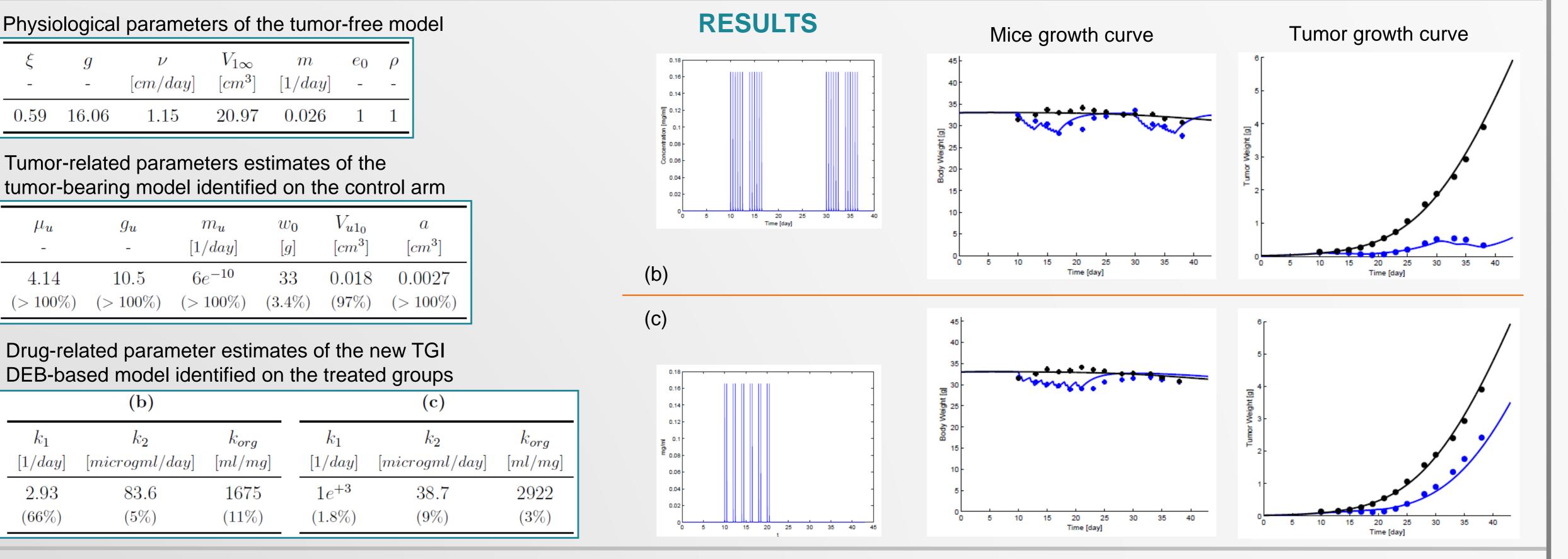
 $\frac{dV(t)}{dt} = \frac{(1 - k_u(t))\nu e(t)V^{2/3}(t) - gmV(t)}{(1 - k_u(t))(e(t) + \omega g)}$  $\frac{g_{u}(t) V(t)}{g_u(1 - k_u(t))} - m_u V_{u1}(t) - k_2 c(t) V_{u1}(t)$  $dV_{u1}(t) = gmk_u(t)V(t)$ 

Modifications of the model structure to describe other expected behaviors:

• drug effect on host body weight: food supply coefficient ρ modified to consider the reduced ability in introducing energy by food intake during treatment;

• tumor growth saturation: a maximum degradation rate decreasing to a threshold introduced into the model through a new parameter *a*.

• Case  $\frac{dt}{dt} < -a$ dV(t) $\frac{dV_{u1}(t)}{dt} = \frac{k_u(t)}{dt} \left( e(t)\nu V(t)^{2/3} + ae(t) + a\omega g \right) - m_u V_u(t) - k_2 c(t) V_{u1}(t)$ 



**CONCLUSIONS:** A physiological meaning has been given to the transition from the exponential to the linear phase for a specific weight threshold of tumor cells proposed by the Simeoni TGI model. The new tumor-in-host DEB-based model has been tested on different experiments showing good capability in

#### REFERENCES

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[1] I. V. Leeuwen et al., British Journal of Cancer, no. 89, pp. 2254–2263, 2003. [2] M. Simeoni et al., Cancer Research, no. 64, pp. 1094–11 101, 2004.

