Quantifying adaptive resistance in bacteria using well-designed dynamic time-kill curve experiments

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Background

In vitro time-kill curve experiments allow to study the concentration-effect relationship of antimicrobial treatments. Mathematical models leverage the experimental data by allowing to simulate microbial growth under clinically relevant concentration-time profiles and under combination therapy.

However, some dynamic processes such as adaptive resistance and persister formation (dormant state), both stress-triggered phenotypic changes, are **difficult** to quantify reliably from these experiments [1].

Design of time-kill curve experiments

<u>*D_S*-optimality</u>

- Maximise information on interesting parameters (I)
- Account for correlations (C) with nuisance parameters (N)
- Robust variant: $\log D_S$ averaged over parameters

$$FIM = \begin{pmatrix} I & C \\ C^T & N \end{pmatrix}$$

Optimality criterion [5]:

Objective

Propose tailored time-kill curve experiments to differentiate adaptive resistance and persister formation using **Optimal Design** theory.

Time-kill curve experiments

- Bacteria in a culture flask are exposed to antibiotics in an *in vitro* infection model (IVIM)
- IVIM can be static (no change in drug concentrations; no exchange of culture medium) or **dynamic** (pumping system) allows for time-varying drug concentrations; see Figure)
- Time-kill curves (TKC): obtained by repeated sampling from an IVIM and



Sketch of a dynamic *in vitro* infection model

Here: interesting $\hat{=} k_{deg,ARM}$ and ARM_{max}

 $D_{\rm S} = \det(I - CN^{-1}C^{\rm T})$

Idea for dynamic TKC experiments:

- 1. Adaptive resistance has to be triggered (high drug concentration),
- 2. For positive $k_{deg,ARM}$, adaptive resistance can wear off in a drug-free rest phase
- 3. Reduction of adaptive resistance manifests in a decrease of bacterial load after a second exposure (possibly lower) to antibiotics
- \rightarrow we consider **intermittent antibiotic exposure experiments** (and for comparison, static conditions and dynamic 1-compartment kinetics)

Prior information:

FIM_{static} (from modelling static TKC data)

 $FIM = FIM_{static} + FIM_{dynamic}$ performed planned experiment experiment

Results

Intermittent exposure experiment discriminating $k_{deg,ARM}$ values





(adapted from [2])

Bacterial growth model

Model for antibiotic combination therapy, developed previously from static TKC data and mechanistic understanding [3,4]; only meropenem effect is considered here.



Assumptions on adaptive resistance during model development:

Optimal design for different experimental setups

| Assumed true parameters | | Predicted standard errors (SE) for optimal design | | | | | | | |
|-------------------------|---------------------------|---|-------|-------------------|--------------------------|-------|-------------------|----------------|-----------------|
| | | SE (k _{deg,ARM}) | | | SE (ARM _{max}) | | | | |
| k _{deg,ARM} | ARM _{max} | static | 1-cmt | inter- mittent | static | 1-cmt | inter- mittent | | |
| 0 | 1 | 0.003 | 0.004 | 0.003 | 0.03 | 0.04 | 0.03 | | |
| 0.01 | 1 | 0.02 | 0.01 | 0.02 | 0.2 | 0.2 | 0.1 | | |
| 0.1 | 1 | 1.3 | 0.2 | 0.02 | 6.8 | 1.2 | 0.1 | good precision | |
| 0 | 0.9 | 0.03 | 0.02 | 0.03 | 0.2 | 0.2 | 0.3 | exposure desig | exposure design |
| 0.01 | 0.9 | 0.04 | 0.03 | 0.02 | 0.3 | 0.3 | 0.2 | | |
| 0.1 | 0.9 | 2.0 | 0.3 | 0.06 | 8.7 | 1.3 | 0.2 | | |
| | | | | | | | | | |

| optimality criterion ($\mathbb{E} \log D_S$) for best robust design | | | | | | | |
|--|-------|--------------|--|--|--|--|--|
| static | 1-cmt | intermittent | | | | | |
| 9.09 | 11.17 | 11.47 | | | | | |

posure design less prominent

- Adaptive resistance does not wear off: $k_{deg,ARM} = 0 h^{-1}$
- Adaptive resistance can inhibit meropenem effect completely: $ARM_{max} = 1$

Could these parameters have been determined from dynamic time-kill curve experiments?

Conclusions

• Static TKC data can be leveraged for designing dynamic TKC experiments • Tailored experiments contribute to elucidating bacterial resistance mechanisms • Robust simultaneous characterisation of several resistance mechanisms remains challenging

References

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