

# Using PET total volume of distribution ( $V_T$ ) in estimating the PK-RO relationship in the absence of reference regions.



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## Introduction

In a Positron Emission Tomography (PET) study, receptor occupancy (RO) can be obtained from the fractional decrease in the volume of distribution of the specifically bound radioligand ( $V_S$ ) [1].  $V_S$  can be derived from  $V_T$  (total volume of distribution) and  $V_{ND}$  (non-displaceable radioligand) which is generally measured directly from reference regions.

In the absence of reference regions, RO values and  $V_{ND}$  can be estimated by linear regression using volume of distribution at baseline ( $V_{T0}$ ) and after drug administration ( $V_T$ ) [2].

## Objectives

- To apply a population approach using  $V_T$  values in a PET study in order to estimate the PK-RO relationship.
- To compare the proposed approach to the conventional one which uses the derived RO values.

## Methods

### Data

- Data from a neuroreceptor drug occupancy study. Range of single doses tested to characterize the PK-RO relationship.
- PET scans at baseline,  $t_{max}$  and 24h post dose.
- PK profiles measured after each dose. Calculation of  $C_{ave}$  (average concentration during the PET scan) as a mean between pre scan and post scan concentrations.

### Models

A population modelling approach was applied for both  $V_T$  and derived RO values in NONMEM V.

#### Model assumptions:

- direct  $C_{ave}$ -RO relationship (indirect model explored but limited data),
- slope fixed to 1 on theoretical grounds,
- $V_{T0}$  constant over the time,
- same RO and  $V_{ND}$  over the brain regions.

#### $V_T$ model

$V_T$  values from the PET study were simultaneously fitted using the equation based on the Emax model:

$$V_{Tij} = V_{T0ij} - \left( \frac{C_{avei}}{EC_{50i} + C_{avei}} \right) \times (V_{T0ij} - V_{NDi})$$

where  $i$  is a subject,  $j$  is a brain region,  $V_{Tij}$  is the measured PET volume of distribution,  $C_{avei}$  is the average concentration during the PET scan.

- $EC_{50i}$ ,  $V_{T0ij}$  and  $V_{NDi}$  were estimated using a population approach including all the brain regions.
- Proportional inter-subject variability and residual error were preferred.
- RO values were calculated from the individual  $V_{Tij}$ ,  $V_{T0ij}$  and  $V_{NDi}$  using the  $V_T$  model above.

#### RO model

Derived RO values were described by an Emax model:

$$RO_i = \frac{E \max \times C_{avei}}{EC_{50i} + C_{avei}}$$

where  $i$  is a subject, RO<sub>i</sub> is the receptor occupancy value derived by linear regression,  $C_{avei}$  is the average concentration during the PET scan,  $EC_{50i}$  is estimated and Emax is fixed to 100%.

The following residual error models were tested:

- proportional error model,
- additive error model,
- a model derived from the propagation of the error applied to  $V_T$  observations, in this case the variance can be described as:

$$\sigma_{RO}^2 = \sigma^2 (100 - RO)^2$$

where  $\sigma$  is derived assuming a proportional error model on the volume of distribution observations (Appendix).

## Model evaluation

- To characterize  $V_T$  model performance: Visual predictive check (VPC) of  $V_T$  as a function of  $C_{ave}$  per brain region.
- To compare PK-RO profiles across different models: VPC of RO as a function of  $C_{ave}$  where RO values are i) derived by linear regression and the RO model or ii) calculated from the  $V_T$  model.

## Results

### Data description

- 3 doses investigated: 6ug, 14ug and 120ug.
- 11  $C_{ave}$  calculated from the plasma concentrations.
- 17 PET scan measurements: 6 at baseline, 6 at  $t_{max}$  (3h post dose) and 5 at  $t_{24}$  (24h post dose).
- For each scan,  $V_T$  measured across 12 brain regions.

### PKPD population estimates

	$V_T$ model [1]	RO models		
		Propagation error	Proportional error	Additive error
EC <sub>50</sub> ng/mL	0.007	0.007	0.004	0.005
CV (%)	30%	29%	14%	19%
$\Omega$ EC <sub>50</sub> CV (%)	44 % 76%	55% 35%	ND	ND
Res. error CV (%)	12% 11%	32% 25%	18.5% 43%	12.5% 19%

[1] = Typical values and variances of  $V_{T0ij}$  per brain region and  $V_{NDi}$  were well estimated (CV <20%)  
ND= Not Determinable

- Similar EC<sub>50</sub> between  $V_T$  model and RO model with propagation error. Smaller EC<sub>50</sub> estimates provided by RO models with proportional and additive errors.
- Inter-subject variability on EC<sub>50</sub> estimated only using  $V_T$  model and RO model with propagation error.
- Residual error values smaller for the  $V_T$  values than for the RO values.

### Diagnosis plots for the $V_T$ model

#### Goodness of fit plots

Based on the plots below, satisfactory prediction of the  $V_T$  model.

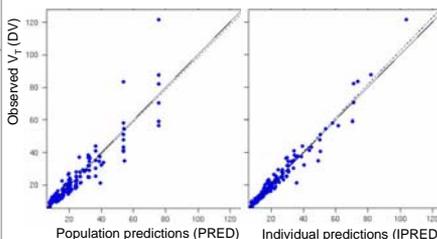


Figure 1.  $V_T$  observed versus PRED and IPRED

#### Visual Predictive Check

$V_T$  in each brain region: observations well distributed around the median and satisfactory overall variability. VPC for two regions reported in Figure 2.

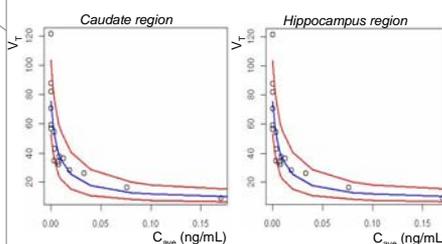


Figure 2. VPC of  $V_T$  for Caudate and Hippocampus brain regions  
Dots = observed  $V_T$  in a brain region, blue line = model predicted  $V_T$  median, red line = 5<sup>th</sup> and 95<sup>th</sup> percentile

## VPC of RO across models

- Satisfactory VPC using  $V_T$  values or using RO values with an error propagation model.
- Proportional and additive error models on RO values inflated the overall variability.

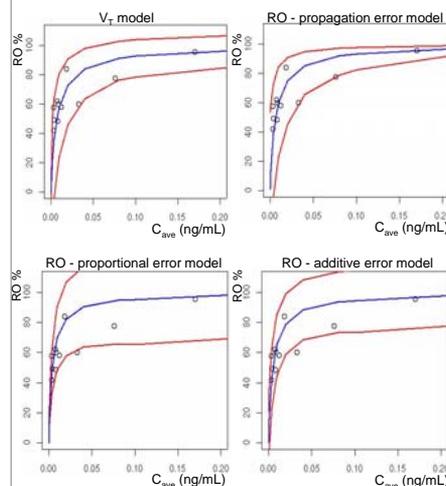


Figure 3. VPC of RO as a function of  $C_{ave}$  for the different models

## Conclusions

- A population modelling approach was proposed to characterize the PK-RO relationship in PET studies using the PET total distribution volume ( $V_T$ ) when no reference region exists.
- Model using  $V_T$  values provided additional information on  $V_{T0ij}$ ,  $V_{NDi}$  as well as robust estimates of EC<sub>50i</sub>, inter-subject variability and residual variability.
- Consistent results in terms of typical value of EC<sub>50i</sub>, inter-subject variability and VPC were obtained between the approach using  $V_T$  values and RO values with a propagation error model.
- The proportional and additive error models inflated variability at high RO values and should not be considered for simulation purposes (e.g. simulations at steady state).
- Although a clear benefit of the  $V_T$  model versus all the RO models was not shown in this PET study, we believe that the  $V_T$  model would provide more robust estimates in the case of a drug with a complex mechanism of action (eg. indirect response).

## Appendix

### Propagation Error Model

$$RO = f(V_T, V_{T0}) = \frac{V_T - V_{T0}}{V_{T0} - V_{ND}} = 1 - \frac{BP}{BP_0}$$

where  $BP_0$  and  $BP$  is the binding potential at baseline and after treatment, respectively.

Assuming a proportional error on the observations ( $\sigma_{BP} = BP \cdot \sigma$ ) and using the propagation of the error formula, RO variance can be described as:

$$\sigma_{RO}^2 = \left( \frac{\partial f}{\partial BP} \sigma_{BP} \right)^2 + \left( \frac{\partial f}{\partial V_{T0}} \sigma_{V_{T0}} \right)^2 = \frac{1}{BP_0^2} \sigma_{BP}^2 + \left( \frac{BP}{BP_0} \right)^2 \sigma_{V_{T0}}^2$$

$$\sigma_{RO}^2 = \frac{1}{BP_0^2} \sigma^2 \cdot BP^2 + \left( \frac{BP}{BP_0} \right)^2 \sigma^2 \cdot BP_0^2 = 2 \cdot \frac{BP^2}{BP_0^2} \sigma^2 = 2\sigma^2 (1 - RO)^2$$

## References

- [1] Lammertsma et al. JCBFM 11:545-556, 1991.
- [2] Lassen et al. JCBFM 15:152-65, 1995.