A comparative analysis of Phase I dose-finding designs incorporating pharmacokinetics information

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Introduction

- "First-in-human" and Phase I studies aim at evaluating the safety of a candidate drug, along with pharmacokinetics (PK), and include a small sample of healthy volunteers or patients.
- Conventional randomized designs can be unethical with low sample size. Adaptive approaches using Bayesian designs, leveraging preexisting data and/or expert opinion to make prior guesses, are often employed to assess the toxicity.
- In most Phase I and Phase I/II studies in patients, dose-finding and PK are still analyzed separately [1]. Various methods have been proposed in recent literature to integrate PK data in the toxicity estimation.

Objectives

- Narrative review: Explore how PK information is used in existing Bayesian prospective PK dose-finding designs.
- Simulation study: Assess the performance and robustness of these methods for accurate Maximum Tolerated Dose (MTD) identification and dose-toxicity curve.

PK dose-finding methods

Results

Dose-finding methods were compared using the probability of selecting the correct MTD based on its location from the simulation

We conducted a narrative review to identify existing Bayesian prospective PK dose-finding designs (see Table).

- Preliminary review of well-known papers on dosefinding designs for early phase clinical trials.
- Keyword searchs yielded more publications, totaling 84. Filtering sequentially for eligibility based on abstract
- and full publication content resulted in 3 selected papers.

The Bayesian Logistic Regression Method (BLRM), which does not use PK data, was implemented as a benchmark.

Notations

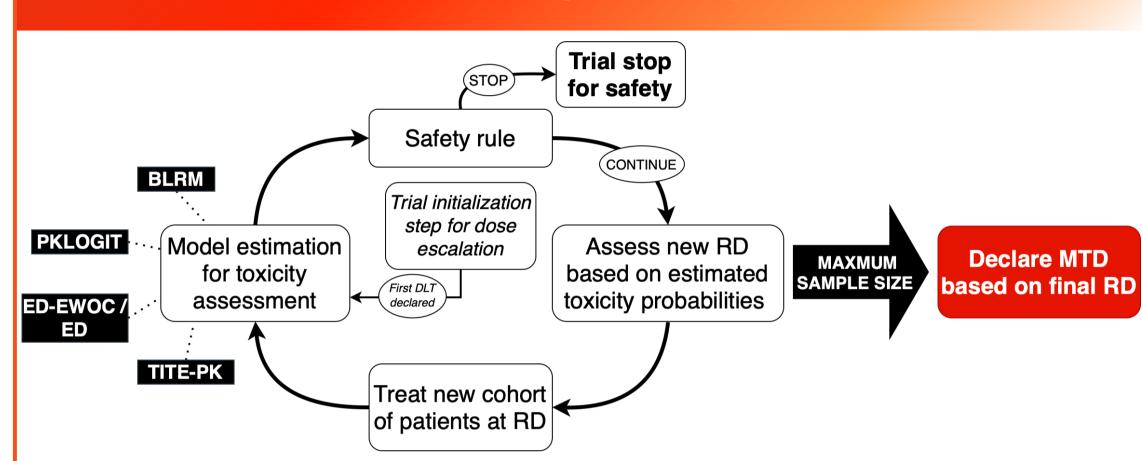
- \triangleright n the total number of patients in the trial $(i \in \{1, ..., n\})$,
- p_T the probability of toxicity with $Y_i \sim \text{Bernoulli}(p_T)$,
- \mathcal{D} the K-length set of doses with d_k the dose-level $k \in$ $\{1, \dots, K\}$ and d^* the reference dose,
- d_i the dose received by the *i*-th patient,
- λ the target probability of toxicity,

(%) of accurate MTD selection.

- sampling times $t = (t_1, ..., t_j, ..., t_l)$ with $j \in \{1, ..., J\}$,
- $C_i(t_i)$ and c_{ij} respectively the actual and measured concentration of the drug in the i-th patient at time t_i ,
 - z_i the logarithm of the AUC of the *i*-th patient,
- and z^* the reference logarithm of the AUC based on d^* .

Name	Input data	Model
BLRM [2]	Toxicity Y_i Dose d_i	Logistic regression $\log it(p_{T}(d_{k}, \boldsymbol{\beta}))$ $= \log(\beta_{1}) + \beta_{2}(\log(d_{k}) - \log(d^{*}))$
PKLOGIT [3]	Toxicity Y_i Dose d_i Trapezoidal rule: Estimated z_i from c_{ij}	Normal approximation of AUC $z_i \boldsymbol{\beta}, \nu \sim \mathcal{N}(\beta_0 + \beta_1 \log(d_i), \nu^2)$ Logistic regression $\log \mathrm{it} \big(p_\mathrm{T}(z, \boldsymbol{\beta}') \big) = \beta_2 + \beta_3 (z - z^*)$
ED-EWOC / ED [4]	Toxicity Y_i Dose d_i Measured concentrations c_{ij} Sampling times t	PopPK model $C(t_{j} d_{i}, \beta_{1i}) = c(d_{i}, t_{j}, \beta_{1i}) \times (1 + \epsilon_{ij}),$ $\epsilon_{ij} \sim \mathcal{N}(0, \sigma_{\epsilon}^{2})$ Logistic regression $\log it(p_{T}(z_{i} \beta_{2}, \beta_{3})) = \beta_{2} + \beta_{3}(z_{i} - z^{*})$
Naive / Informed TITE-PK [5]	Toxicity Y_i Dose d_i Sampling times t_1 and t_j Time of administration t_0 Time of the DLT or censoring time	K-PD: One-compartment model with IV $\begin{cases} \frac{dC(t)}{dt} = -k_eC(t) \\ \frac{dC_{\rm eff}(t)}{dt} = k_{\rm eff}(C(t) - C_{\rm eff}(t)) \end{cases}$ Complementary log-log regression $\operatorname{cloglog}(P(T \le t^* C_{\rm eff}(t^* d)))$ $= \log(\beta) + \log(\operatorname{AUC}_E(t^* C_{\rm eff}(t^* d)))$

Simulation study: Trial procedure



Dose recommandation rule: After *i* patients have been included in the trial, the recommended dose (RD) $d_{(i+1)}$ for a hypothetical (i+1)-th patient is $d_{(i+1)} = \operatorname{argmin} |\widehat{p(d_k)} - \lambda|$.

Safety rule: Based on a predefined safety probability threshold τ_{Safe} , the safety rule is expressed as $\mathbb{P}(p_T(d_1) > \lambda) < \tau_{\text{Safe}}$.

Simulation settings

All methods were evaluated for a Phase I dose-finding trial based on the

Set A

- PK dose-finding designs as accurate as BLRM on average with ED-EWOC leading in terms of correct MTD selection for scenario A1 and A2, except TITE-PK.
- Almost all PK methods performed better than BLRM in scenarios A3 and A4, with informed TITE-PK being on the top. PKLOGIT performed on average marginally worse
- than the most effective PK dose-finding methods in scenarios A1, A2, A3, and A4. ED-EWOC outperformed ED, showing effective
- scenarios A3 and A4, the results were reversed. Naive and informed TITE-PK methods failed to stop early and overwhelmingly recommended

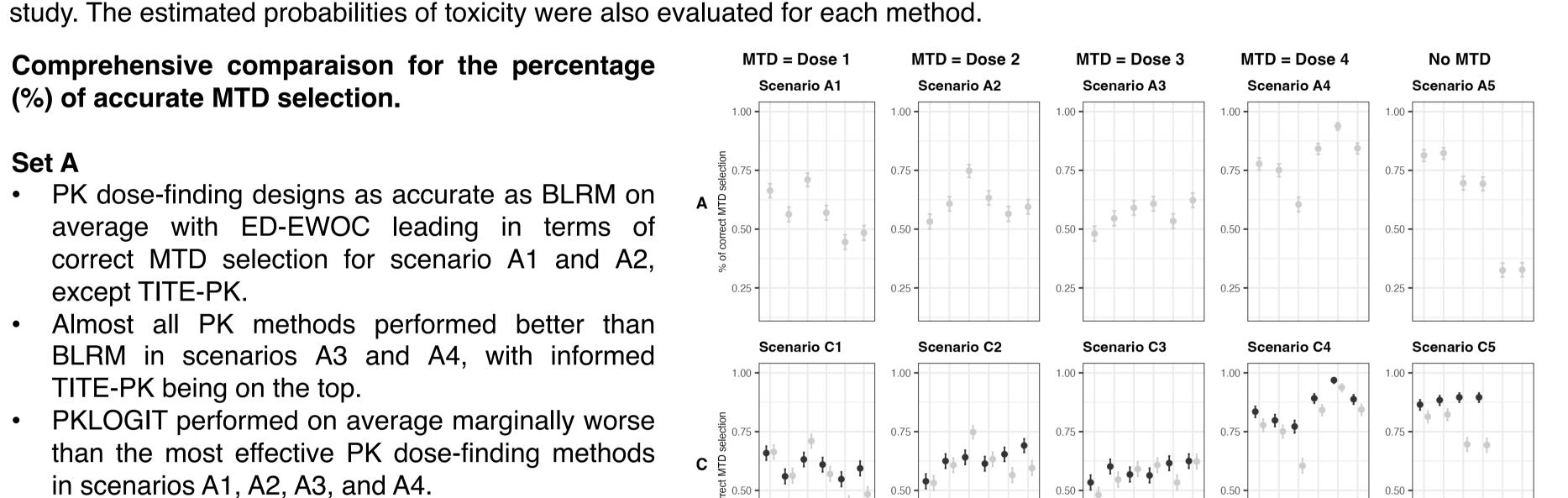
overdose control for lower-dose MTD. However, in

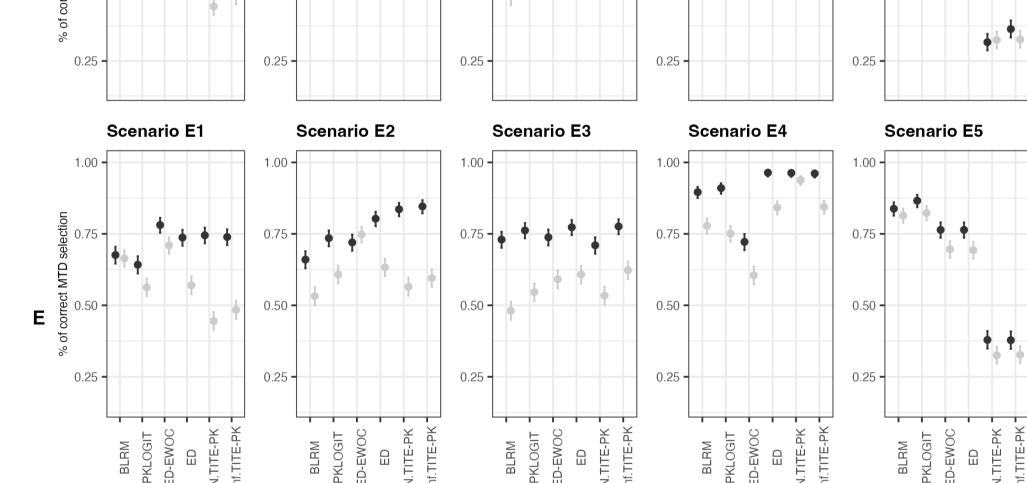
Set C: For scenarios C1, C2, C3 and C4, ED-EWOC and ED were respectively outperformed by

informed and naive TITE-PK methods.

dose-level 1 as the MTD for scenario A5 (64%).

Set E: Better performance in terms of correct MTD selection compared to set A.





Clopper-Pearson 95% Cl → Misspecification scenario

PK model for the development of the TGF- β inhibitor LY2157299 [6], in a simulation study consisting of... 1000 clinical trials,

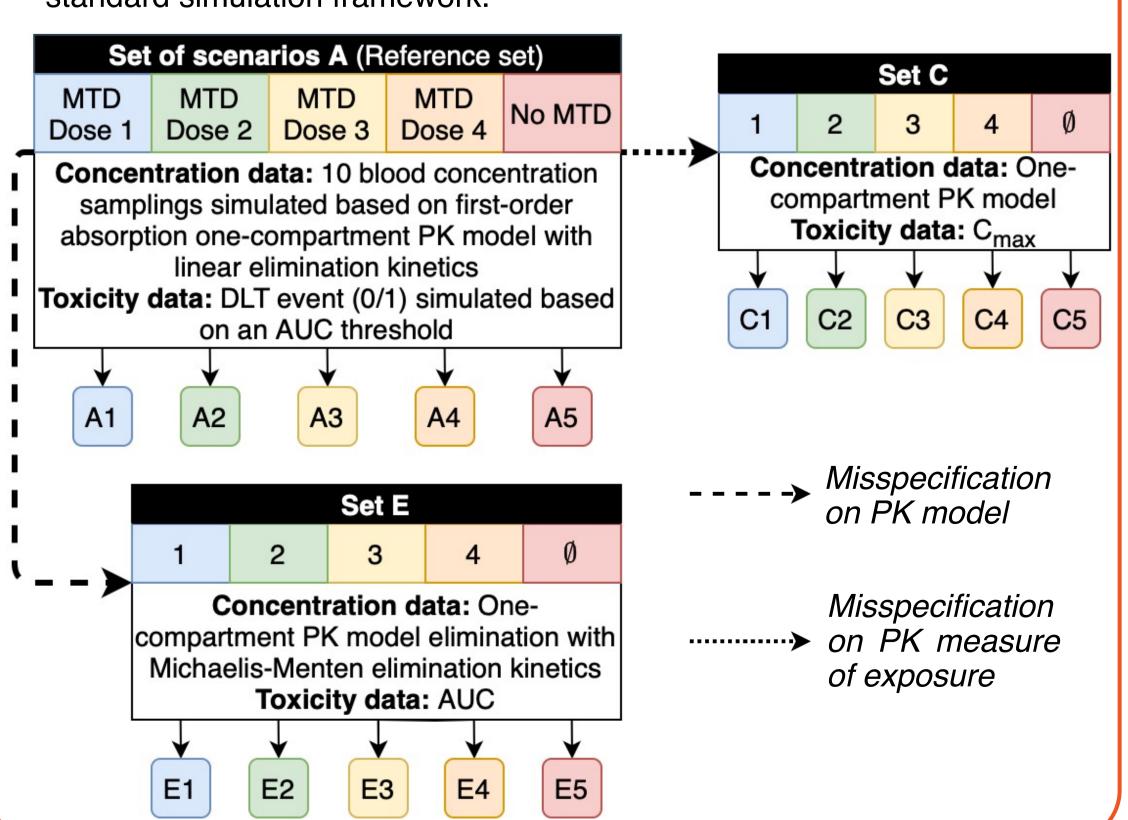
- cohorts of size 2,
- 30 patients per trial,
- 4 doses (30.6 mg, 50.69 mg, 93.69 mg, and 150.37 mg) with doselevel 3 as the reference, a targeted probability of toxicity $\lambda = 25\%$,
- and a threshold for the safety rule $\tau_{\rm Safe} = 90\%$.

Scenarios

15 scenarios divided into 3 sets of scenarios (A, C, and E), each containing 5 scenarios to explore different settings:

- Among each set: Deviation on the position of the MTD
- > Across each set: Misspecification of PK measures of exposure (AUC or C_{max}) and/or misspecification of PK model (e.g. number of compartiments).

For comparison purposes, the set of scenarios A is taken as the standard simulation framework.



Targeted toxicity Real probability of toxicity **J**o.50-**Dose-finding designs ■** BLRM

Panel of doses

Dose-toxicity curve

- BLRM completely failed to estimate the toxicity probabilities.
- Plausible estimates of the probabilities of toxicity obtained by PKLOGIT and ED(-EWOC), the latter being the best performer.
- Large variation in the estimate for PKLOGIT due to AUC modelling.
- TITE-PK fails to accurately estimate the probabilities of toxicity.

Figure: Scenario A1 Estimated probabilities of toxicity at all doses for all dose-finding methods where the MTD is on dose-level 1.

Discussion & Conclusion

- PKLOGIT is the most straightforward approach for PK modelling and therefore underperforms slightly compared to other methods. ED-EWOC/ED shows high potential with the popPK approach, especially under misspecification, but is generally less accurate than TITE-PK for MTD selection. TITE-PK achieves consistent results, barring low-dose MTDs and misspecification scenarios.
- Model-based approaches incorporating PK information are likely to recommend, at least as much as the BLRM, accurate MTDs and achieve safer dose-escalation. Additionally, PK dose-finding methods can evaluate the full dose-toxicity curve and provide more or less plausible estimates of the probability of toxicity for each dose with a limited sample size.
- Combining popPK modeling and time-to-event approach for toxicity in Phase I dose-finding trial seems to offer promising perspective for future development of effective methods.













